## **Bonding in transition metal complexes**

#### Crystal Field Theory (CFT)

- Assumes electrostatic (ionic) interactions between ligands and metal ions
- Useful for understanding magnetism and electronic spectra

#### Valence Bond (VB) Theory

- Assumes covalent M–L bonds formed by ligand electron donation to empty metal hybrid orbitals.
- Useful for rationalizing magnetic properties, but cannot account for electronic spectra.
- Offers little that cannot be covered better by other theories.

#### Molecular Orbital (MO) Theory

- Approach using M–L general MOs
- Excellent quantitative agreement, but less useful in routine qualitative discussions

#### Ligand Field Theory (LFT)

- Modified CFT
- Makes empirical corrections to account for effects of M–L orbital overlap, improving quantitative agreement with observed spectra

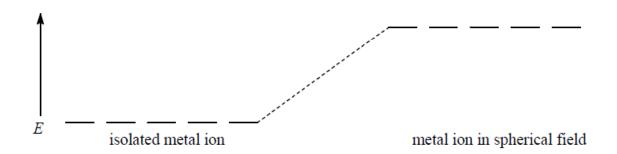
MO used for most sophisticated and quantitative interpretations

LFT used for semi-quantitative interpretations

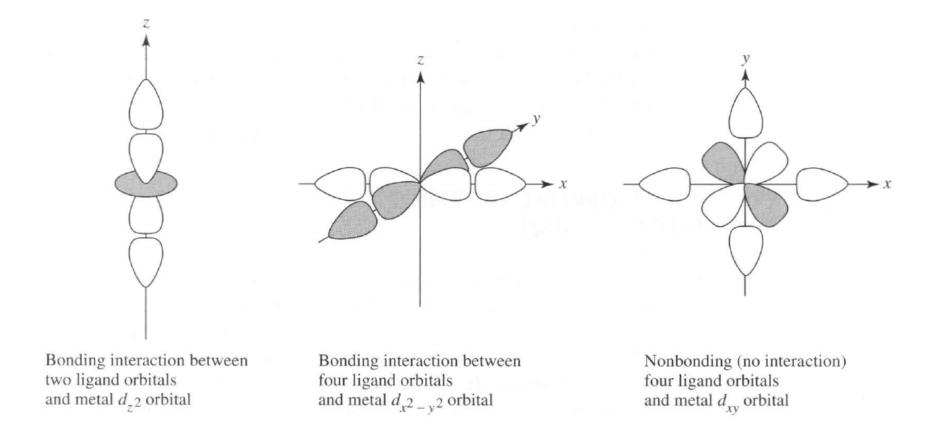
**CFT used for everyday qualitative interpretations** 

# **CFT** energies of d orbitals in an Octahedral (O<sub>h</sub>) Complex

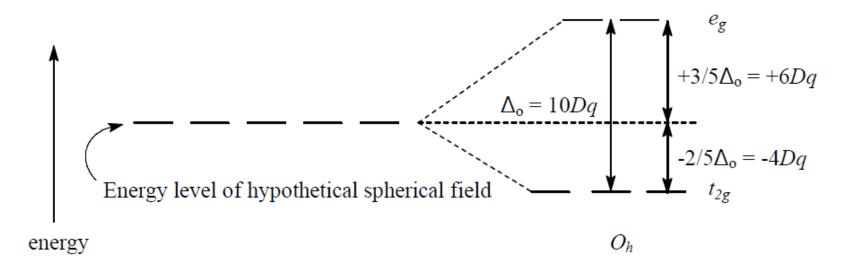
- Consider a *spherical field* equivalent to six electron pairs surrounding a central metal ion, M.
- Electron repulsions will perturb the energies of the five degenerate d orbitals, making them rise in energy.



• The energies of the  $t_{2g}$  orbitals and  $e_g$  orbitals, however, depend upon their orientation to the six ligand coordination positions in an  $O_h$  ligand field.



- The e<sub>g</sub> orbitals have lobes that point at the ligands and so will ascend in energy.
- The  $t_{2g}$  orbitals have lobes that lie between ligands and so will descend in energy.



The energy gap between  $t_{2g}$  and  $e_{g}$  levels is designated  $\Delta_{o}$  (or 10Dq)

• The energy of the  $e_g$  set rises by +3/5  $\Delta_o$  (+ 6Dq) while the energy of the  $t_{2g}$  set falls by -2/5  $\Delta_o$  (- 4Dq) resulting in no net energy change for the system.

$$\Delta_{o} E = E(e_{g}) + E(t_{2g})$$

$$= (2)(+3/5) \Delta_{o} + (3)(-2/5) \Delta_{o}$$

$$= (2)(+6Dq) + (3)(-4Dq) = 0$$

- The magnitude of  $\Delta_o$  depends upon both the metal ion and the attaching ligands.
- Magnitudes of  $\Delta_0$  are typically ca. 100 400 kJ/mol (ca. 8,375 33,500 cm–1).

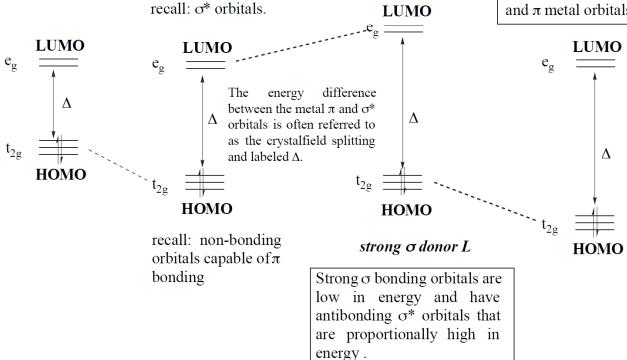
## Spectrochemical series

#### strong $\pi$ donor ligand

#### strong \( \pi \) acceptor \( L \)

Ligand to metal $\pi$  donation increases the energy of the HOMO, making  $\Delta$  smaller.

 $\pi$ -backbonding lowers the energy of the HOMO and thus increases the energy difference  $\Delta$  between the  $\sigma^*$  and  $\pi$  metal orbitals.



**Spectrochemical series** The colors of TM complexes often arrise from the absorption of visible light that corresponds to the energy gap  $\Delta$ . Electronic spectra (UV-vis) can often be used to measure $\Delta$  directly.

$$I^- < Br^- < Cl^- < N_3^-, F^- < OH^- < O_2^- < H_2O < NCS^- < py, NH_3 < en < bpy, phen < NO_2^- < CH_3^-, C_6H_5^- < CO, H-1000 < NCS^- < py, NH_3 < en < NO_2^- < NO_2^-$$

 $\pi$ -donor low  $\Delta$  "low field ligand"

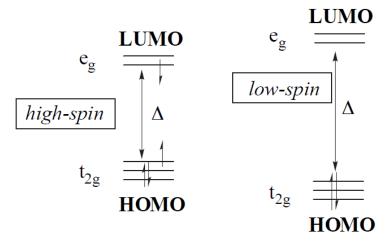
 $\pi$ -acceptor/strong  $\sigma$ -donor high  $\Delta$  "high field ligand"

- Electrons fill the d orbitals starting with the t<sub>2g</sub> set in accordance with
  - The aufbau principle
  - The Pauli exclusion principle
  - Hund's rule of maximum multiplicity
- Spins of successively added electrons are parallel so long as the Pauli exclusion principle allows.
- At the point when the set of  $t_{2g}$  orbitals is half filled, an additional electron must pair if its is to occupy one of the orbitals of the degenerate set.
- But if the mean pairing energy (P) is greater than  $\Delta_{\rm o}$ , a lower energy state will result by putting the electron in the higher e<sub>g</sub> level.

Total pairing energy  $\Pi = \Pi_c + \Pi_e$ 

### High spin vs. low spin electron configuration

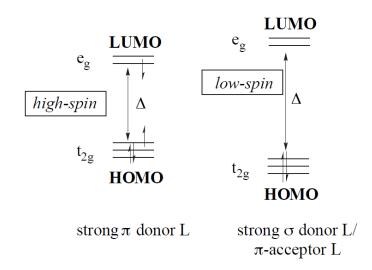
- If  $\Delta$  is low enough, electrons may rearrange to give a "high spin" configuration to reduce electron- electron repulsion that happens when they are paired up in the same orbital.
- In 1st row metals complexes, low-field ligands (strong  $\pi$  donors) favor high spin configurations whereas high field ligands ( $\pi$ -acceptors/ strong  $\sigma$  donors) favor low spin.
- The majority of 2nd and 3rd row metal complexes are low-spin irrespective of their ligands (greater M-L overlap; decreased  $\Pi_e$  due to larger volume of d orbitals).

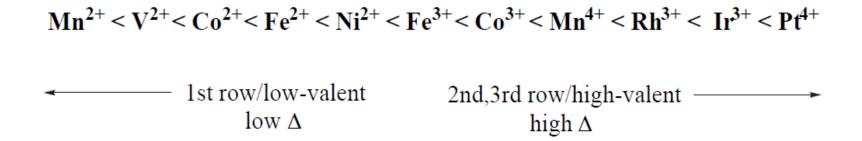


 $strong\,\pi\,\,donor\,L$ 

strong  $\sigma$  donor L/ $\pi$ -acceptor L

- Low-oxidation state complexes also tend to have lower  $\Delta$  than high-oxidation state complexes.
- High oxidation state  $\rightarrow$  increased  $\chi \rightarrow$  increased  $\Delta \rightarrow$  low-spin configuration





### High- and Low-Spin Configurations for $ML_6 O_h$

spin

spin

spin

spin

Multiplicity = 2S + 1

### Molecular orbital theory

- A molecular orbital (MO) is a mathematical function that describes the wave-like behavior of an electron in a molecule, i.e. a wavefunction ( $\psi$ ). This function can be used to calculate chemical and physical properties such as the probability of finding an electron in any specific region.
- MO theory is a method for determining molecular structure in which electrons are not assigned
  to individual bonds between atoms, but are treated as moving under the influence of the
  nuclei in the whole molecule.
- Every molecule has a set of MOs, in which it is assumed that each MO wave function  $\psi$  may be written as a simple weighted sum of the n constituent atomic orbitals.
- MOs are constructed in this way via a *linear combination of atomic orbitals* (LCAO)
   a quantum superposition, if you like, of atomic orbitals.
- The MOs resulting from the LCAO calculation are often divided into **bonding**, **non-bonding and anti-bonding orbitals**.
- The shape of the MOs and their respective energies are deduced approximately from comparing both symmetry and energy of atomic orbitals of the individual atoms (or molecular fragments).
- This is done by using the symmetry of the molecules and orbitals involved in bonding. The first step in this process is assigning a *point group* to the molecule. Then a *reducible representation* of the bonding is determined.
- The graphs that are plotted to make this discussion clearer are called correlation diagrams.

## Ligand field theory

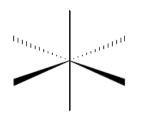
- When empirical corrections are added to CFT it is known as Ligand Field Theory (LFT).
- LFT represents an application of molecular orbital (MO) theory to transition metal complexes.
- Need for corrections to CFT arise from metal-ligand orbital overlap, implying some degree of covalent M–L bonding (metal electrons delocalized onto the ligand)
- This delocalization results in lesser energy separation between the excited state energy levels (Russell-Saunders term states) in the complex than predicted for the ion in the crystal field environment.
- The disparity between free-ion and complex-ion electronic state energies is the socalled nephelauxetic effect (cloud-expanding), which depends upon both the metal ion and ligand.
- For a given metal ion, the ability of ligands to induce this cloud expanding increases according to a nephelauxetic series:

$$F^- < H_2O < NH_3 < en < ox < SCN^- < Cl^- < CN^- < Br^- < I^-$$

 Note that the ordering of ligands in the nephelauxetic series is not the same as the spectrochemical series.

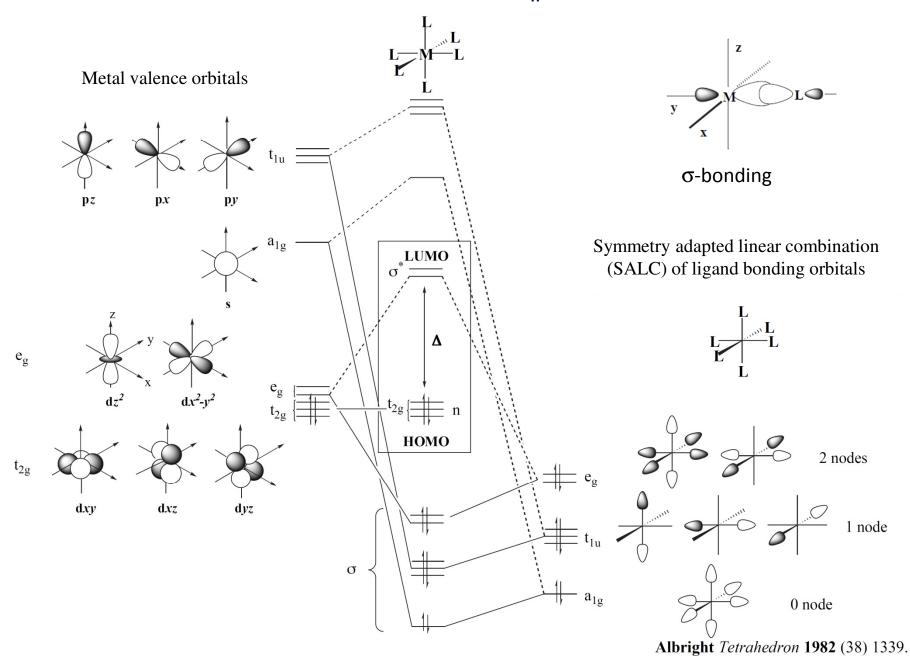
# Character table for the O<sub>h</sub> point group

$O_h$	E	8 <i>C</i> <sub>3</sub>	6C <sub>2</sub>	6C <sub>4</sub>	$3C_2 (= C_4^2)$	i	$6S_{4}$	8 <i>S</i> <sub>6</sub>	$3\sigma_h$	$6\sigma_d$		
$A_{1g}$	1	1	1	1	1	1	1	1	1	1		
$A_{2g}$	1	1	-1	-1	1	1	-1	1	1	-1		
$E_g$	2	-1	0	0	2	2	0	-1	2	0		$(2z^2 - x^2 - y^2,  x^2 - y^2)$
$T_{1g}$	3	0	-1	1	-1	3	1	0	-1	-1	$(R_x, R_y, R_z)$	
$T_{2g}$	3	0	1	-1	-1	3	-1	0	-1	1		(xy, xz, yz)
$A_{1u}$	1	1	1	1	1	-1	-1	-1	-1	-1		
$A_{2u}$	1	1	-1	-1	1	-1	1	-1	-1	1		
$E_u$	2	-1	0	0	2	-2	0	1	-2	0		
$T_{1u}$	3	0	-1	1	-1	-3	-1	0	1	1:	(x, y, z)	
$T_{2u}$	3	0	1	-1	-1	-3	1	0	1	-1		
Γ	6	0	0	2	2	0	0	0	4	2		$x^2 + y^2 + z^2$
$A_{1g}$	1	1	1	1	1	1	1	1	1	1		
$T_{1u}$	3	0	-1	1	-1	-3	-1	0	1	1	(x, y, z)	
$E_g$	2	-1	0	0	2	2	0	-1	2	0		$(2z^2 - x^2 - y^2,  x^2 - y^2)$



$$\Gamma_{\sigma} = A_{1g} + E_g + T_{1u}$$

### MO description of $\sigma$ only bonding in an $\text{O}_{\text{h}}$ transition metal complex



- The twelve electrons provided by the ligands alone fill the lowest three levels of MOs  $(a_{1g},\,t_{1u},\,and\,e_g)$
- Any electrons provided by the metal ion will result in an equivalent filling of the d
  orbitals (t<sub>2g</sub> level and if necessary the e<sub>g</sub>\* level)
- Electron filling above the six MOs in the lowest three levels is identical to the presumed filling of d orbitals in the CFT model.
- As with the CFT model, both high and low spin ground states are possible for d<sup>4</sup> through d<sup>7</sup> metal ion configurations.
- In the MO scheme  $\Delta_{\rm o}$  (10Dq) is defined as the energy separation between the  $\rm t_{2g}$  and  $\rm e_{\rm g}{}^*$  levels.
- The lower  $t_{2g}$  orbitals are nonbonding and can be taken as essentially the dxy, dxz, and dyz orbitals of the metal ion, which is not materially different from the CFT view.
- The upper  $e_g^*$  orbitals are now seen as antibonding molecular orbitals.
- Although antibonding, the e<sub>g</sub>\* MOs when occupied involve sharing of electron density between the metal ion and the ligands.

Number of d		Wea	k-Field Ar	rangemen	t	_	Coulombic	Exchange	
Electrons		$t_{2g}$		$e_g$		$LFSE(\Delta_o)$	Energy	Energy	
1	$\uparrow$					$-\frac{2}{5}$			
2	1	1				$ \begin{array}{r} -\frac{2}{5} \\ -\frac{4}{5} \\ -\frac{6}{5} \\ -\frac{3}{5} \end{array} $		$\Pi_e$	
3	1	1	1			$-\frac{6}{5}$		$3\Pi_e$	
4	$\uparrow$	1	1	1		$-\frac{3}{5}$		$3\Pi_e$	
5	$\uparrow$	1	1	1	1	0		$4\Pi_e$	
6	$\uparrow\downarrow$	$\uparrow$	<b>↑</b>	1	$\uparrow$	$-\frac{2}{5}$	$\Pi_c$	$4\Pi_e$	
7	$\uparrow\downarrow$	$\uparrow\downarrow$	1	1	$\uparrow$	$-\frac{2}{5}$ $-\frac{4}{5}$ $-\frac{6}{5}$	$2\Pi_c$	$5\Pi_e$	
8	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$	<b>↑</b>	1	$-\frac{6}{5}$	$3\Pi_c$	$7\Pi_e$	
9	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow$	$-\frac{3}{5}$	$4\Pi_c$	$7\Pi_e$	
10	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow \downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$	0	$5\Pi_c$	$8\Pi_e$	
Number of d		Stro	ng-Field A	rrangeme	nt		Coulombic	Exchange	Strong Field
Electrons	$t_{2g}$			$e_g$		LFSE $(\Delta_o)$	Energy	Energy	-Weak Field
1	<b>↑</b>					$-\frac{2}{5}$			0
2	1	$\uparrow$						$\Pi_e$	0
3	$\uparrow$	1	1			$-\frac{6}{5}$		$3\Pi_e$	0
4	$\uparrow\downarrow$	1	1			$-\frac{8}{5}$	$\Pi_c$	$3\Pi_e$	$-\Delta_o + \Pi_c$
5	$\uparrow\downarrow$	$\uparrow\downarrow$	1			$-\frac{10}{5}$	$2\Pi_c$	$4\Pi_e$	$-2\Delta_o + 2\Pi_c$
6	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$			$-\frac{12}{5}$	$3\Pi_c$	$6\Pi_e$	$-2\Delta_o + 2\Pi_c + 2\Pi_e$
7	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$	1		$-\frac{9}{5}$ $-\frac{6}{5}$	$3\Pi_c$	$6\Pi_e$	$-\Delta_o + \Pi_c + \Pi_e$
8	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$	1	1	$-\frac{6}{5}$	$3\Pi_c$	$7\Pi_e$	0
9	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$	1	$-\frac{3}{5}$	$4\Pi_c$	$7\Pi_e$	0
10	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$	$\uparrow\downarrow$	0	$5\Pi_c$	$8\Pi_e$	0

Note: In addition to the LFSE, each pair formed has a positive Coulombic energy,  $\Pi_c$ , and each set of two electrons with the same spin has a negative exchange energy,  $\Pi_e$ . When  $\Delta_o > \Pi_c$  for  $d^4$  or  $d^5$  or when  $\Delta_o > \Pi_c + \Pi_e$  for  $d^6$  or  $d^7$ , the strong-field arrangement (low spin) is favored.

### Total pairing energy $\Pi = \Pi_c + \Pi_e$